ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY



50-61\%: pass
62-73\%: satisfactory
74-85\%: good
86-100\%: excellent

## Type of the replacement

| Type of the replacement of written test/mid-term grade/signature |  | In the last week of the period either of the midterm tests can be rewritten. In case of failure, the mid-term grade can be acquired in the grade-retake exam held during the first 10 days of the examination period. |
| :---: | :---: | :---: |
| Type of the exam (to be filled out only for subjects with exams) |  |  |
| Calculation of the exam mark (to be filled only for subjects with exams) |  |  |
| Final grade calculation methods: |  |  |
| References |  |  |
| Obligatory: | Carl. D <br> Industr <br> 454-0 <br> A.J. La <br> S. Axl | Meyer: Matrix analysis and applied linear algebra, SIAM (Society for and Applied Mathematics) Press, Philadelphia, 2000, ISBN 0-89871- <br> b: Matrix Analysis for Scientists and Engineers, SIAM, 2005 <br> : Linear Algebra Done Right, 2nd ed., Springer, 1997 |
| Recommended: | D. Cher | ey, T. Denton, A. Waldron: Linear algebra |
| Other references: | Materia | uploaded to the e-learning system of the university |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OFINFORMATICS



| Type of the replacement |  |
| :---: | :---: |
| Type of the replacement of written test/mid-term grade/signature | The signature can be acquired in the signature retake exam (during the first 10 days of the examination period). |
| Type of the exam (to be filled out only for subjects with exams) |  |
| Oral |  |
| Calculation of the exam mark (to be filled only for subjects with exams) |  |
| 30\% from the midterm test, $70 \%$ from the oral exam |  |
| Final grade calculation methods: |  |
| $\begin{array}{\|l\|} \hline 0-49 \%: \text { fail } \\ 50-61 \%: \text { pass } \\ 62-73 \%: \text { satisfactory } \\ 74-85 \%: \text { good } \\ 86-100 \% \text { : excellent } \\ \hline \end{array}$ |  |
| References |  |
| Obligatory: $\quad$ D. S. D | mmit and R. M. Foote: Abstract algebra, Wiley, 2004. |
| Recommended: |  |
| Other references: Lectur | otes uploaded to the e-learning system of the university |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OFINFORMATICS


| Lecture schedule |  |
| :---: | :--- |
| Education week | Topic |
| 1. | Introduction to measure theory |
| 2. | Exterior measure and Lebesgue measure of $\mathbb{R}^{\text {d }}$ |
| 3. | Measurable functions and their properties |
| 4. | Lebesgue integral |
| 5. | Convergence theorems: Fatou lemma, Monotone convergence theorem and <br> Lebesgue's dominated theorem |
| 6. | $1^{\text {st }}$ midterm exam |
| 7. | General measures and the Lebesgue Lp-spaces |
| 8. | Differentiation: absolute continuous functions |


|  | 89\%-100\% | excellent (5) |  |
| :---: | :---: | :---: | :---: |
|  | 76\%-88<\% | good (4) |  |
|  | 63\%-75<\% | satisfactory (3) |  |
|  | 51\%-62<\% | pass (2) |  |
|  | 0\%-50<\% | fail (1) |  |
| Type of the replacement |  |  |  |
| Type of the replacement of written test/mid-term grade/signature | At the last week first ten days of retake exam. | mester one can ination period, | e a resit exam. In the re is a midterm grade |
| Type of the exam (to be filled out only for subjects with exams) |  |  |  |
| Calculation of the exam mark (to be filled only for subjects with exams) |  |  |  |
| Final grade calculation methods: |  |  |  |
| References |  |  |  |
| Obligatory: $\quad$ E. Stein: | E. Stein: Real Analysis |  |  |
| Recommended: ${ }^{\text {Rynne }}$ | Rynne and Youngson: Linear Functional Analysis |  |  |
| Other references: |  |  |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY



| Type of the replacement of <br> written test/mid-term <br> grade/signature | Written exam |
| :--- | :--- |

Type of the exam (to be filled out only for subjects with exams)
Written and oral exam
Calculation of the exam mark (to be filled only for subjects with exams)
$70 \%$ written exam $+30 \%$ oral exam
Final grade calculation methods:
0-50: fail (1)
51-62: pass (2)
63-75: satisfactory (3)
76-88: good (4)
89-100: excellent (5)

## References

| Obligatory: | Audin, Michèle; Geometry, Universitext, Springer, 2003. |
| :--- | :--- |
| Recommended: | Coxeter, H.S.M.; Introduction to Geometry, Wiley, 1969. <br> Hoffmann Miklós: Topology and differential geometry, <br> https://dtk.tankonyvtar.hu/xmlui/handle/123456789/8413 |
| Other references: |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OFINFORMATICS

| Institute of Applied Mathematics |  |  |  | Semester 1. of the curriculum2023-24-1 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: |  | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Probability theory and mathematical statistics |  |  | NMXVS1EMNF | 4 | full-time |  | 1 | 0 |
| Responsible person for the subject: Dr. KÁRÁSZ Péter |  |  |  | Classification: associate professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |  |
| Prerequisites: |  |  | escription |  |  |  |  |
| Way of the assessment: |  | exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |  |
| Goal: | To lay the foundations of probability theory and statistics |  |  |  |  |  |  |
| Course description: | Kolmogorov probability space; law of total probability; conditional probability; Bayes' theorem; probability distribution function; expectation, variance and moments; special distributions (Poisson, uniform, etc.). Moment generating function, characteristic function. Joint distributions; random vectors; independence; covariance matrix. General definition and properties of conditional expectation; law of total expectation. Types of convergence; Borel-Cantelli lemmas; laws of large numbers; sums of random variables; central limit theorems. Statistical space; sample; statistics; ordered sample; empirical distribution function; Glivenko-Cantelli theorem. Estimation techniques, maximum-likelihood estimation, method of moments, method of least squares. Hypothesis testing; confidence intervals. Parametric and nonparametric tests. |  |  |  |  |  |  |


|  | Lecture schedule |
| :---: | :--- |
| Education week | Topic |
| 1. | Kolmogorov probability space and related notions. Examples. |
| 2. | Law of total probability; conditional probability, Bayes' theorem. Random <br> variables and their properties. Probability distribution function; expectation, <br> variance and moments |
| 3. | Special discrete and continuous random variables and their properties <br> (Poisson, uniform distributions, etc.) |
| 4. | Continuation of lecture 3 plus moment generating functions, characteristic <br> function |
| 5. | Joint distributions; random vectors; independence; covariance matrix. |
| 6. | General definition and properties of conditional expectation; law of total <br> expectation. |
| 7. | Types of convergence; Borel-Cantelli lemmas; laws of large numbers; sums of <br> random variables; central limit theorems. |
| 8. | Continuation of lecture 7. |
| 9. | Statistical space; sample; statistics; ordered sample; empirical distribution <br> function; Glivenko-Cantelli theorem. |
| 10. | Continuation of lecture 9. |
| 11. | Estimation techniques, maximum-likelihood estimation, method of moments, <br> method of least squares. |
| 12. | Hypothesis testing; confidence intervals |
| 13. | Parametric and nonparametric tests |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OF INFORMATICS


ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY

| Software Engineering Institute |  |  |  | Semester 1. of the curriculum2023-24-1 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: |  | Code of the | Credits: | Weekly hours: |  |  |  |
|  |  | subject: |  |  | lec | sem | lab |
| Introduction to MATLAB programming |  | NSXBM1EMNF | 4 | full-time | 0 | 0 | 2 |
| Responsible person for the subject: Dr. SERGYÁN Szabolcs |  |  |  | Classific | assoc | e pro |  |
| Subject lecturer(s): |  |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |  |
| Way of the assessment: |  | mid-term grade |  |  |  |  |  |
| Course description |  |  |  |  |  |  |  |
| Goal: | Acquiring the fundamental knowledge and applications related to MATLAB. It serves the dual purpose of teaching computer programming and providing a background in MATLAB. |  |  |  |  |  |  |
| Course description: | Variables, arrays, vectors and matrices; MATLAB functions, loops, decisions in MATLAB. Linear algebra with MATLAB; basics of 2-D plots, data visualization: frequencies, bar charts and histograms. File input/output operations. |  |  |  |  |  |  |

## Lecture schedule



| Type of the replacement |  |  |
| :---: | :---: | :---: |
| Type of the replacement of written test/mid-term grade/signature |  | One of the midterms can be replaced |
| Type of the exam (to be filled out only for subjects with exams) |  |  |
| Calculation of the exam mark (to be filled only for subjects with exams) |  |  |
| Final grade calculation methods: |  |  |
| References |  |  |
| Obligatory: | $\begin{array}{\|l} \hline \text { J. Mic } \\ 2013 . \\ \hline \end{array}$ | el Fitzpatrick, Á. Lédeczi - Computer |
| Recommended: | $\begin{aligned} & \hline \text { B. Hal } \\ & 2002 . \end{aligned}$ | and D. Valentine, Essential MATLA |
| Other references: |  |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY




| Institute of Applied Mathematics |  |  | Semester 2. of the curriculum 2023-24-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Discrete mathematics | ( | 4 | full-time | 2 | 1 | 0 |
| Responsible person for the subject: Dr. HEGEDÜS Gábor |  |  | Classification: associate professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |
| Way of the assessment: | $: \quad$ exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: | Developing the student's conceptualization, abstraction, and problem-solving abilities by learning about the basic topics of discrete mathematics, as well as their applications in problem solving and model creation. The basic concepts of graph algorithms and complexity theory are learned from the theory of algorithms. |  |  |  |  |  |
| Course description:P  <br>  ex <br>  f <br>  B <br>  co <br>  c <br>  t <br>  p <br>  H <br>  f <br>   | Principle of mathematical induction, pigeonhole principle, principle of inclusion and exclusion. Permutations, variations and combinations, binomial theorem. Generating functions and their basic properties. Linear recurrence relations, Stirling, Catalan, Bell and Fibonacci sequences. The basic properties of graphs, subgraphs, complements and graph isomorphism. Trees, forests, Prüfer code, Euler trails and circuits, Hamilton paths and cycles, Ore's theorem, Posa's theorem, extreme graph theory, Turán's theorem. Graph colouring, Brooks' theorem, Vizing's theorem, perfect graphs, planar graphs, dual graphs, Kuratowski's theorem. Matching theory, Hall's theorem, König's theorem, Gallai's theorem, Hungarian method, flows, maxflow min-cut theorem. |  |  |  |  |  |


| Lecture schedule |  |
| :---: | :--- |
| Education week | Topic |
| 1. | Principle of mathematical induction, pigeonhole principle, principle of inclusion and <br> exclusion |
| 2. | Permutations, variations and combinations, binomial theorem |
| 3. | Generating functions and their basic properties |
| 4. | Linear recurrence relations |
| 5. | Stirling, Catalan, Bell and Fibonacci sequences |
| 6. | First midterm test |
| 7. | The basic properties of graphs, subgraphs, complements and graph isomorphism |
| 8. | Trees, forests, Prüfer code |
| 9. | Euler trails and circuits, Hamilton path and cycles, Ore's theorem, Posa's theorem, <br> extreme graph theory, Turán's theorem |
| 10. | Vertex colouring, Brooks' theorem, Vizing's theorem |
| 11. | Perfect graphs, planar graphs, dual graphs, Kuratowski's theorem |
| 12. | Matching theory, Hall's theorem, König's theorem, Gallai's theorem, Hungarian <br> method, flows, max-flow min-cut theorem |
| 13. | Second midterm test |
| 14. | Test retake |
| Conditions for obtaining a <br> mid-term grade/signature |  |
| The student obtains the signature only if they have written both midterm test <br> and reach at least 50\% of the scores. The midterm tests consist of theoretical <br> questions and exercises from the material of the lectures and classes. It is <br> compulsory to attend the lectures and classes, the absence may not exceed <br> 30\% of the lectures. |  |



ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY

| Software Engineering Institute |  |  | Semester 2. of the curriculum 2023-24-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Interpolation and approximation | NSXIA1EMNF | 4 | full-time | 2 | 0 | 0 |
| Responsible person for the subject: Prof. Dr. GALÁNTAI Aurél |  |  | Classification: professor emeritus |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |
| Way of the assessment: | exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: T <br> t <br> Course description: U <br>  Sp <br>  f | The aim of the course is getting to know the basic interpolation and approximation techniques and results. |  |  |  |  |  |
|  | Univariate and multivariate Interpolation. Lagrange interpolation and its convergence. Spline interpolation. Chebyshev approximation by polynomials and rational functions. Padé approximation. Least squares approximation. Fourier approximation. |  |  |  |  |  |


| Lecture schedule |  |  |
| :---: | :---: | :---: |
| Education week | Topic |  |
| 1. | Introduction |  |
| 2. | Interpolation I. |  |
| 3. | Interpolation II. |  |
| 4. | Interpolation III. |  |
| 5. | Spline interpolation I. |  |
| 6. | Spline interpolation II. |  |
| 7. | Spline interpolation III. |  |
| 8. | Chebyshev approximation I. |  |
| 9. | Chebyshev approximation II. |  |
| 10. | Chebyshev approximation III. |  |
| 11. | Rational approximation, Padé approximation, Applications |  |
| 12. | Least squares approximation of real functio |  |
| 13. | Fourier series I. |  |
| 14. | Fourier series II. |  |
| Mid-term requirement |  |  |
| Conditions for obtaining a mid-term grade/signature |  | The assi submitte condition |
| Assessment schedule |  |  |
| Education week | Top |  |
|  |  |  |
|  |  |  |
| Method used to calculate the mid-term grade (to be filled out only for subjects with mid-term grades) |  |  |
|  |  |  |  |  |
|  |  |  |
| Type of the replacement |  |  |


| Type of the replacement of written test/mid-term grade/signature |  | Assignments not submitted or not accepted can be resubmitted until day 10 of the examination period. |
| :---: | :---: | :---: |
| Type of the exam (to be filled out only for subjects with exams) |  |  |
| Oral exam. |  |  |
| Calculation of the exam mark (to be filled only for subjects with exams) |  |  |
| The assessment is based on the performance of the oral exam. |  |  |
| Final grade calculation methods: |  |  |
| References |  |  |
| Obligatory: | Lecture | lides |
| Recommended: | $\begin{array}{\|l} \hline \text { J.H. Ah } \\ \text { J. Busta } \\ \text { Birkhäu } \\ \text { Publish } \\ \text { P.J. Da } \\ \text { G.G. LC } \\ \text { G. Mas } \\ \text { T.J. Riv } \\ \hline \end{array}$ | berg, E.N. Nilson, The theory of splines and their applications, Academic Press, 1967 <br> nante, Algebraic approximation: A Guide to Past and Current Solutions, er, 2012 E.W. Cheney, Introduction to approximation theory, AMS Chelsea <br> g, 2000 <br> s, Interpolation and approximation, Dover, 1975 <br> entz, Approximation of functions, AMS Chelsea Publishing, 2005 <br> oianni, G.V. Milovanovic, Interpolation Processes, Basic Theory and Applications, Springer, 2008 <br> n, An introduction to the approximation of functions, Dover, 1981 |
| Other references: |  |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY



| Type of the replacement |  |  |
| :--- | :--- | :---: |
| Type of the replacement of <br> written test/mid-term <br> grade/signature | Resit exam on the last week |  |
| Type of the exam (to be filled out only for subjects with exams) |  |  |
| Final written exam of 180 mins |  |  |
|  |  |  |
| 30 \% home assessments + 70 \% final exam |  |  |
| Final grade calculation methods: |  |  |
| 0-50 fail (1) <br> $51-62$ pass (2) <br> 63-75 satisfactory (3) <br> $76-88$ good (4) <br> excellent (5) |  |  |
| References |  |  |
| Obligatory: | R. Kent Nagle, Edward B. Saff, Arthur David Snider: Fundamentals of Differential <br> Equations and Boundary Value Problems, 8th Edition, Addison-Wesley, 2011. |  |
| Recommended: | D. Strogatz: Non-linear dynamics and chaos, Westview Press, 2001. |  |
| Other references: | E. Lieb, M. Loss: Analysis, Amer. Math. Soc., Providence, 2001. |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY

| Institute of Applied Mathematics |  |  |  | Semester 2. of the curriculum 2023-24-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: |  | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Stochastic processe | and applications |  | $\begin{aligned} & \text { NMXH } \\ & \text { S1EMN } \\ & \text { F } \end{aligned}$ | 5 | fulltime | 2 | 2 | 0 |
| Responsible person for the subject: Dr. KÁRÁSZ Péter |  |  |  | Classification: associate professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |  |
| Way of the assessment: |  | exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |  |
| Goal: Course description: | To lay the foundations of stochastic processes and give applications of the theory. |  |  |  |  |  |  |
|  | Notion of stochastic processes. Discrete Markov chains: classification of states, limiting probabilities, applications. Continuous Markov chains, Poisson processes, Renewal processes, birth and death processes. Queueing theory. Martingales. Further applications. |  |  |  |  |  |  |



| Type of the replacement of <br> written test/mid-term <br> grade/signature | cf. TVSZ |
| :--- | :--- |

Type of the exam (to be filled out only for subjects with exams)

## Written exam

Calculation of the exam mark (to be filled only for subjects with exams)

Final grade calculation methods:

| Achieved result | Grade |
| :---: | :---: |
| $89 \%-100 \%$ | excellent (5) |
| $76 \%-88<\%$ | $\operatorname{good}(4)$ |
| $63 \%-75<\%$ | satisfactory (3) |
| $51 \%-62<\%$ | pass (2) |
| $0 \%-50<\%$ | fail (1) |

## References

| Obligat <br> ory: | S. Karlin, H. M. Taylor: A First Course in Stochastic Processes |
| :--- | :--- |
| Recom <br> mended: | Janko Gravner: Lecture Notes for Introductory Probability. <br> https://www.math.ucdavis.edu/~gravner/MAT135A/resources/lecturenotes.pdf <br> Rick Durrett: Essentials of Stochastic Processes. Springer, 2010. |
| Other <br> referenc <br> es: |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY

| Institute of Applied Mathematics |  |  | Semester 2. of the curriculum 2023-24-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the | Credits: | Weekly hours: |  |  |  |
|  | subject: |  |  | lec | sem | lab |
| Responsible person for the subject: Prof. Dr. TAKÁCS Márta |  |  | full-time | 2 | 2 | 0 |
|  |  |  | Classification: professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |
| Way of the assessment: | t: ${ }^{\text {exam }}$ |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: ${ }^{\text {a }}$ | The subject presents the most important methods of optimization problems, which can be used on economy, industrial, scientific area |  |  |  |  |  |
| Course description: ${ }^{\text {Op}}$ in | Operational methods, Geometry of linear programming, simplex method, duality, integer programming, network optimization, Game theory |  |  |  |  |  |


| Lecture schedule |  |
| :---: | :---: |
| Education week | Topic |
| 1. | Operational research, optimization |
| 2. | Geometry of linear programming |
| 3. | Simplex method 1. |
| 4. | Simplex method 2. |
| 5. | Duality 1. |
| 6. | Duality 2. |
| 7. | 1st midterm |
| 8. | Integer programming 1. |
| 9. | Integer programming 2. |
| 10. | Network optimization 1. |
| 11. | Network optimization 2. |
| 12. | Game theory |
| 13. | 2nd midterm |
| 14. | Retake |
| Mid-term requirements |  |
| Conditions for obtaining a mid-term grade/signature | 50\% of the midterms in average |
| Assessment schedule |  |
| Education week | Topic |
| 7 | Weeks 1-6 |
| 13 | Weeks 8-12 |
| 14 | Test retake |
| Method used to calculate the mid-term grade (to be filled out only for subjects with mid-term grades) |  |
|  |  |
| Type of the replacement |  |
| Type of the replacement of written test/mid-term grade/signature | Retake of the midterm on week 14. |
| Type of the exam (to be filled out only for subjects with exams) |  |

## Written exam

Calculation of the exam mark (to be filled only for subjects with exams)

## Final grade calculation methods:

$0-49 \%$ : fail (1)
$50-61 \%$ : pass (2)
62-73\%: satisfactory (3)
$74-85 \%$ : good (4)
86-100\%: excellent (5)

## References

| Obligatory: | Dimitris Bertsimas, John N. Tsitsiklis: Introduction to Linear optimization |
| :--- | :--- |
| Recommended: |  |
| Other references: |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY

| Institute of Applied Mathematics |  |  |  | Semester 2. of the curriculum2023-24-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: |  | Code of the | Credits: | Weekly hours: |  |  |  |
|  |  | subject: |  |  | lec | sem | lab |
| Fourier analysis and series |  | NMXFA1EMNF | 4 | full-time | 2 | 0 | 0 |
| Responsible person for the subject: Prof. Dr. TAR József |  |  |  | Classification: professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |  |
| Prerequisites: |  | NMXAN1EMNF | Analysis |  |  |  |  |
| Way of the assessment: |  | exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |  |
| Goal: <br> Course description: | Acquiring the foundations and applications related to Fourier analysis |  |  |  |  |  |  |
|  | Fourier expansion of periodic functions, convergence of Fourier series. Hilbert space and its orthonormal basis. Fourier method and its application to PDEs, boundary value problems. Wavelets. Fourier transform, inversion formula and PDEs. |  |  |  |  |  |  |



## Written exam of 120 mins

## Calculation of the exam mark (to be filled only for subjects with exams)

## 0-50 fail (1)

51-62 pass (2)
63-75 satisfactory (3)
76-88 good (4)
89-100 excellent (5)
Final grade calculation methods:
$30 \%$ midterms $+70 \%$ exam

## References

| Obligatory: | A. Vretblad, Fourier Analysis and Its Applications, Springer, 2003 |
| :--- | :--- |
| Recommended: | N. Ashmar, Partial Differential Equations with Fourier series and Boundary Value <br> Problems, 3rd Edition, Dover Books, 2016 |
| Other references: | - |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OF INFORMATICS

| Software Engineering Institute |  |  | Semester 3. of the curriculum 2024-25-1 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the | Credits: | Weekly hours: |  |  |  |
|  | subject: |  |  | lec | sem | lab |
| Engineering computational methods | NSXMS1EMNF | 5 | full-time | 2 | 0 | 2 |
| Responsible person for the subject: Prof. Dr. GALÁNTAI Aurél |  |  | Classification: professor emeritus |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: <br> Way of the assessment: | NMXDE1EMNF | Differential equations |  |  |  |  |
|  | exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: $\quad$ Study of | Study of numerical methods for differential equations. |  |  |  |  |  |
| Course description:Solution <br> Method <br> Discreti <br> Matlab | Solution of linear and nonlinear system of equations. <br> Methods for ODE IVP and BVP. Their programming, convergence and stability. Discretizations of PDE. Variational methods. Ritz and Galerkin methods. FEM. Matlab programming and Matlab programs. |  |  |  |  |  |


| Lecture schedule |  |
| :---: | :--- |
| Education week | The elements of Matlab |
| 1. | Direct solution methods of linear systems 1 |
| 2. | Direct solution methods of linear systems 2 |
| 3. | Solution methods of nonlinear equations |
| 4. | Discretization methods of ODE IVPs 1 |$\quad$| 5. | Discretization methods of ODE IVPs 2 |
| :---: | :--- |

Type of the exam (to be filled out only for subjects with exams)
Oral exam.
Calculation of the exam mark (to be filled only for subjects with exams)
The assessment is based on the performance at the oral exam.
Final grade calculation methods:

## References

| Obligatory: | A. Galántai A.: Engineering Computational Methods 1 2014/2015 spring semester <br> (lecture notes) |
| :--- | :--- |
| Recommended: | U.M. Ascher, R.M.M. Mattheij, R.D. Russell, Numerical Solution of Boundary Value <br> Problems for Ordinary Differential Equations, SIAM, 1995 |
|  | S.C. Brenner, L. Ridgway Scott, The Mathematical Theory of Finite Element Methods, <br> 3rd ed., Springer, 2008 <br> C.G. Broyden, M.T. Vespucci, Krylov Solvers for Linear Algebraic Systems, Elsevier, <br> 2004 |
| Other references: |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OF INFORMATICS

| Biomatics and Applied Artificial Intelligence Institute |  |  | Semester 3. of the curriculum <br> 2024-25-1 |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Name of the subject: | Code of the <br> subject: | Credits: | Weekly hours: |  |  |



ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY OF INFORMATICS


ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
Institute of Applied Mathematics

| Name of the subject: | Code of the subject: | Credits: | Weekly hours: |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | lec | sem | lab |
| System and control theory | NMXSC1EMNF | 5 | full-time | 2 | 0 | 2 |
| Responsible person for the subject: Prof. Dr. TAR József |  |  | Classification: professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: | NMXDE1EMNF | Differential equations |  |  |  |  |
| Way of the assessment: | exam |  |  |  |  |  |

## Course description

| Goal: |
| :--- |
| Course description: |

The aim of this course is to provide the students with the fundamental classical knowledge of control technology and to consider certain modern approaches. Model Predictive Controller (MPC): optimization under constraints, Lagrange multipliers, reduced gradient, auxiliary function, nonlinear programming. The heuristic Receding Horizon Control. Simulation issues: MS EXCEL - Solver, legally free alternatives of MATLAB: Julia language. General description of the LTI systems: stability, observability, controllability. The method of "Pole Placement". State estimation by the Luenberger Observer. MPC for LTI models and quadratic cost functions: the LQR regulator. Tackling the LTI systems in the frequency domain: basics in Distribution Theory: the function class D and its use for classical modelling. Singular Value Decomposition (SVD), the $\mathrm{H}_{\infty}$ norm, robust design, the "minimax" principle. Robust nonlinear controller: the Sliding Mode / Variable Structure Controller. Adaptive controllers: the "kappa" function class, Lyapunov's "stability", "uniform stability", and "asymptotic stability" definitions, quadratic Lyapunov functions, Control Lyapunov function, Backstepping Control, the "Adaptive Inverse Dynamics Robot Controller".

| Lecture schedule |  |
| :---: | :--- |
| Education week | Topic |
| 1. | Model Predictive Controller (MPC): realization on a finite time-grid: the Receding <br> Horizon Controller optimization under constraints, Lagrange multipliers, reduced <br> gradient, auxiliary function, nonlinear programming. |
| 2. | The continuous case: minimization of functionals, dynamic programming; Special <br> case: the LQR regulator. |
| 3. | Simulation issues: MS EXCEL - Solver, legally free alternatives of MATLAB: Julia <br> language. |
| 4. | General description of the LTI systems: stability, observability, controllability. |
| 5. | Luenberger observer; Special cases for a single variable control signal: Lyapunov <br> function, Control Lyapunov Function, Pole Placement. |
| 6. | Tackling the LTI systems in the frequency domain: basics in Distribution Theory: the <br> function class D and its use for classical modelling. Singular Value Decomposition <br> (SVD), the H$\infty$ |
| 7. | Control of strongly nobustinear design, the "minimax"" principle. <br> class "kappa", quadratic Lyapunov functions, stability definitions; Control Lyapunov <br> function. |
| 8. | Quadratic Lyapunov functions; Backstepping design for the control of hierarchical <br> systems. |
| 9. | The Robust Variable Structure/Sliding Model Controller. |
| 10. | Lyapunov function-based adaptive control: example: the Adaptive Inverse Dynamics <br> Controller. |
| 11. | Alternatives of the Lyapunov function-based adaptive control design: Fixed Point <br> Iteration-based Adaptive Control, Banach's Theorem. |

ar
ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OFINFORMATICS

| 12. | Fixed Point iteration-based Model Reference Adaptive Control. |  |
| :---: | :---: | :---: |
| 13. | Consultations for the course work submission. |  |
| 14. | Consultations for the course work submission. |  |
| Mid-term requirements |  |  |
| Conditions for obtaining a mid-term grade/signature |  | Student participation in the lectures and labs is required. All homeworks and the classroom test are required to be completed during the term. |
| Assessment schedule |  |  |
| Education week |  | Topic |
| By the end of the term | Submission of simulation program developed by the students with documented results. |  |
| Method used to calculate the mid-term grade (to be filled out only for subjects with mid-term grades) |  |  |
| Type of the replacement |  |  |
| Type of the replace written test/mid-ter grade/signature | ment of <br> m | Prompt elaboration of a control simulation. |
| Type of the exam (to be filled out only for subjects with exams) |  |  |
| Oral examination (classical colloquium) |  |  |
| Calculation of the exam mark (to be filled only for subjects with exams) |  |  |
| Final grade calculation methods: |  |  |
| References |  |  |
| Obligatory: | Free of charge available lecture notes in PDF and the programming aids with which the students are provided during the course. |  |
| Recommended: | Kemin Zhou, John C. Doyle, Keith Glover: Robust and Optimal Control, Pearson; 1 edition, 1995. <br> J. K. Tar, L. Nádai, I. J. Rudas: System and Control Theory with Especial Emphasis on Nonlinear Systems, TYPOTEX, Budapest, 2012, ISBN 978-963-279-676-5 |  |
| Other references: |  |  |



## Lecture schedule



ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY


| Biomatics and Applied Artificial Intelligence Institute |  |  | Semester 4. of the curriculum 2024-25-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Cryptography and quantum cryptography | NBXCQ1EMNF | 5 | full-time | 2 | 0 | 2 |
| Responsible person for the subject: Prof. Dr. KOZLOVSZKY Miklós ${ }_{\text {c }}$ Classification: professor |  |  |  |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: | NMXAS1EMNF | Algebra and number theory |  |  |  |  |
| Way of the assessment: | exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: |  |  |  |  |  |  |
| Course description: |  |  |  |  |  |  |



Calculation of the exam mark (to be filled only for subjects with exams)

## Final grade calculation methods:

## References

| Obligatory: |  |
| :--- | :--- |
| Recommended: |  |
| Other references: |  |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY

| Institute of Applied Mathematics |  |  |  | Semester 4. of the curriculum 2024-25-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: |  | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Information and coding theory |  |  | NMXIK 1EMNF | 4 | fulltime | 3 | 0 | 0 |
| Responsible person for the subject: Prof. Dr. TAKÁCS Márta |  |  |  | Classification: professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |  |
| Prerequisites: |  | NMXL <br> A1EMN <br> F | Linear algebra |  |  |  |  |
| Way of the assessment: |  | exam |  |  |  |  |  |
| Course description |  |  |  |  |  |  |  |
| Goal: | The purpose of this course is to provide a summary of the mathematical foundations of information and code theory and to introduce students to the general rules of code theory, compression and cryptography. During the course, students will have a basic understanding of mathematical coding techniques and will gain proficiency in security issues |  |  |  |  |  |  |
| Course description: | The basic principle of information theory. Information and entropy, schema of communication channel. Variable length source code - prefix code, Huffman code. Conditional entropy and mutual information measure. Channel capacity. Bug fix coding. Finite vector spaces and their relationship to coding. Data compression algorithms. Cryptographic Methods - Summaries. |  |  |  |  |  |  |

## Lecture schedule

| Education week | Topic |  |
| :---: | :--- | :---: |
| 1. | Basic concepts of information theory |  |
| 2. | Information and entropy, Schema of Telecommunication Channel |  |
| 3. | Variable length source code - prefix code, Huffman code |  |
| 4. | Conditional entropy and mutual information |  |
| 5. | Channel Capacity. The basic principle of information theory |  |
| 6. | $1^{\text {st }}$ mid-term exam (online test, if we will have online work schedule) |  |
| 7. | Error correction coding |  |
| 8. | Finite vector spaces |  |
| 9. | Linear Codes (Hamming, Extended and Abbreviated Codes) |  |
| 10. | Data Compression. Run length compression, LZV |  |
| 11. | Cryptography, history and algorithms used |  |
| 12. | $2^{\text {nd }}$ mid-term exam (online test, if we will have online work schedule) |  |
| 13. | Presentation of individual projects |  |
| 14. | Presentation of individual projects |  |
| Mid-term requirements |  |  |
| Conditions for obtaining a <br> mid-term grade/signature | The student may only receive the signature if: <br> - During the semester he / she wrote both midterm exams (maximum <br> score 25 points / midterm exam). Replacement of those exams is <br> possible at a pre-arranged time, in the 14th week of the semester. |  |



## Final grade calculation methods:

The final grade is calculated as follows:
Midterm exams: $2 * 25$ points, individual project - at best 15 points, uploaded homework at best 35 points. A minimum of $30 \%$ must be achieved in each part
Final exam (if the offered grade based on the cumulative result during the semester activity is not acceptable for the student or the cumulative points are below 50 points):
oral/written answer from the theoretical background. (at best 50 points, $50 \%$ of the whole result).

## References

| Obligat <br> ory: | Gareth Jones, Mary Jones: Information and Coding Theory, Springer (2002), <br> ISBN-13: 978-1852336226 |
| :--- | :--- |
| Recom <br> mended: | Stefan Moser, Po Ming-Chen, Coding and Information Theory, Cambridge Univ. Press <br> (2012), <br> ISBN-13: 978-1107684577 |
| Other <br> referenc <br> es: | notes and presentations prepared by the lecturer, uploaded to the actual Moodle page |

ÓBUDA UNIVERSITY
JOHN VON NEUMANN FACULTY
OF INFORMATICS


\left.| Lecture schedule |  |
| :---: | :---: |
| Education week | Topic |
| 1. | Homogeneous coordinates and 3D transformations. Modeling objects. |
| 2. | Camera models, orthographic and perspective projection. Objects in 3D projections. |
| 3. | The imaging basics. Gray scale and color images features: resolution, histogram, etc. |
| 4. | Typical image noises, distortions. Image enhancements, image filtering. Histogram |
| and modification in compensation. |  |$\right]$| Methods of edge detection, edge enhancement, smoothing. Line and curve detection, |
| :---: |
| Hough transform. |


| Type of the replacement of <br> written test/mid-term <br> grade/signature |  |
| :--- | :--- |
| Type of the exam (to be filled out only for subjects with exams) |  |
| Calculation of the exam mark (to be filled only for subjects with exams) |  |
|  | Final grade calculation methods: <br> $0 \%-50 \%:$ fail (1) <br> $51 \%-62 \%: ~ p a s s ~(2) ~$ <br> $63 \%-75 \%: ~ s a t i s f a c t o r y ~(3) ~$ <br> $76 \%-88 \%:$ good (4) <br> $89 \%-100 \%:$ excellent (5) |
| Obligatory: | R. Szeliski: Computer Vision Algorithms and Applications, Springer, 2011 <br> Gonzales, Woods: Digital Image Processing, 3rd edition. Prentice Hall, 2008 |
| Recommended: |  |
| Other references: |  |


|  |  |  | Semester 1. of the curriculum2023-24-1 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the subject: | Credits: |  | kly |  |  |
|  |  |  |  | lec | sem | lab |
| Physical education 1 | GTTTS1EMNF | 1 | full-time | 0 | 1 | 0 |
| Responsible person for the subject: |  |  | Classification: |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |
| Way of the assessment | mid-term grade |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: |  |  |  |  |  |  |
| Course description: |  |  |  |  |  |  |



Calculation of the exam mark (to be filled only for subjects with exams)

## Final grade calculation methods:

## References

| Obligatory: |  |
| :--- | :--- |
| Recommended: |  |
| Other references: |  |


|  |  |  | Semester 2. of the curriculum2023-24-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Physical education 2 | GTTTS2EMNF | 1 | full-time | 0 | 1 | 0 |
| Responsible person for the subject: |  |  | Classific |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |
| Way of the assessment: | mid-term grade |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: |  |  |  |  |  |  |
| Course description: |  |  |  |  |  |  |



Calculation of the exam mark (to be filled only for subjects with exams)

## Final grade calculation methods:

## References

| Obligatory: |  |
| :--- | :--- |
| Recommended: |  |
| Other references: |  |


| Dean's Office |  |  | Semester 3. of the curriculum 2024-25-1 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the subject: | Credits: | Weekly hours: |  |  |  |
|  |  |  |  | lec | sem | lab |
| Thesis work I. | NDDDM1EMNF | 10 | full-time | 0 | 0 | 0 |
| Responsible person for the subject: Prof. Dr. KRISTALY Alexandru |  |  | Classification: professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: |  |  |  |  |  |  |
| Way of the assessment | signature |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: |  |  |  |  |  |  |
| Course description: |  |  |  |  |  |  |



Calculation of the exam mark (to be filled only for subjects with exams)

## Final grade calculation methods:

## References

| Obligatory: |  |
| :--- | :--- |
| Recommended: |  |
| Other references: |  |


| Dean's Office |  |  | Semester 4. of the curriculum 2024-25-2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Name of the subject: | Code of the | Credits: | Weekly hours: |  |  |  |
|  | subject: |  |  | lec | sem | lab |
| Thesis work II. | NDDDM2EMNF | 10 | full-time | 0 | 0 | 0 |
| Responsible person for the subject: Prof. Dr. KRISTALY Alexandru |  |  | Classification: professor |  |  |  |
| Subject lecturer(s): |  |  |  |  |  |  |
| Prerequisites: | NDDDM1EMNF | Thesis work I. |  |  |  |  |
| Way of the assessment | signature |  |  |  |  |  |
| Course description |  |  |  |  |  |  |
| Goal: |  |  |  |  |  |  |
| Course description: |  |  |  |  |  |  |



Calculation of the exam mark (to be filled only for subjects with exams)

## Final grade calculation methods:

## References

| Obligatory: |  |
| :--- | :--- |
| Recommended: |  |
| Other references: |  |

